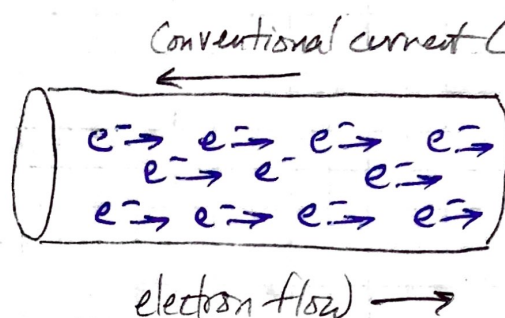


9.23

Number of e^- through a point in a wire
in 3.00s if current $I = 4.00 \text{ A}$?



$$I (\text{current}) = \frac{\Delta Q}{\Delta t}$$

so

$$\begin{aligned}\Delta Q &= I \Delta t \\ &= (4.00 \text{ Amps})(3.00 \text{ s}) \\ \Delta Q &= 12.0 \text{ Coulombs}\end{aligned}$$

$$12.0 \text{ C} \times \frac{1 e^-}{1.602 \times 10^{-19} \text{ C}} = \boxed{7.49 \times 10^{19} \text{ electrons}}$$

9.28

14-gauge wire of Aluminum is 1.628mm in diam, so

$$r = 1.628 \times 10^{-3} / 2 = 8.14 \times 10^{-4} \text{ m}, \text{ \& cross-sectional area } A = \pi r^2 = 2.08 \times 10^{-6} \text{ m}^2 \quad I = 3.00 \text{ A} = 3.00 \text{ C/s}$$

- a) Find charge density in the wire, i.e. how many electrons in a given volume of wire? (Chemistry! Info to help solve the problem is listed farther down in problem.

Al = $\rho = 2.70 \text{ g/cm}^3$, with molar mass of 26.98 g/mol.

We're looking for e^-/m^3 , assuming 1 e^- free/atom.

$$\frac{6.02 \times 10^{23} e^-}{1 \text{ mol}} \times \frac{1 \text{ mol}}{26.98 \text{ g}} \times \frac{2.70 \text{ g}}{1 \text{ cm}^3} \times \left(\frac{100 \text{ cm}}{1 \text{ m}} \right)^3 = \boxed{6.02 \times 10^{28} e^-/\text{m}^3}$$

- b) What is v_{drift} of electrons?

As developed in text, v_{drift} is how fast an average e^- moves through the wire (m/s).

If $I = \frac{\Delta Q}{\Delta t}$ $\left\{ \begin{array}{l} \text{total charge passing a point} \end{array} \right.$

$$I = nqAv_d$$

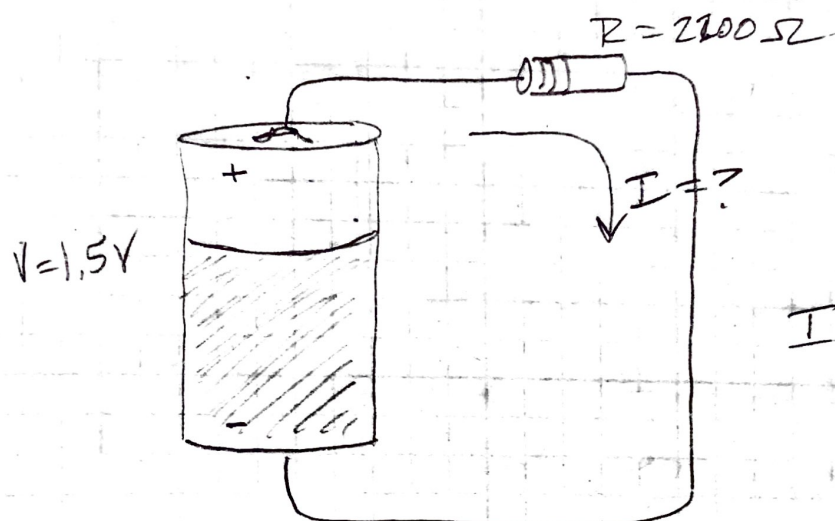
$$3 \frac{\text{C}}{\text{s}} = \left(\frac{6.02 \times 10^{28} e^-}{\text{m}^3} \right) (1.602 \times 10^{-19} \text{ C}) (2.08 \times 10^{-6} \text{ m}^2) v_d$$

$$v_d = \boxed{1.50 \times 10^{-4} \text{ m/s}}$$

$\frac{\Delta Q}{\Delta t} = nqAv_d$ $\left\{ \begin{array}{l} \text{cross-sectional area} \\ \text{drift } v \\ \text{charge on one carrier} \end{array} \right.$
 n = number of charge carriers

9.50

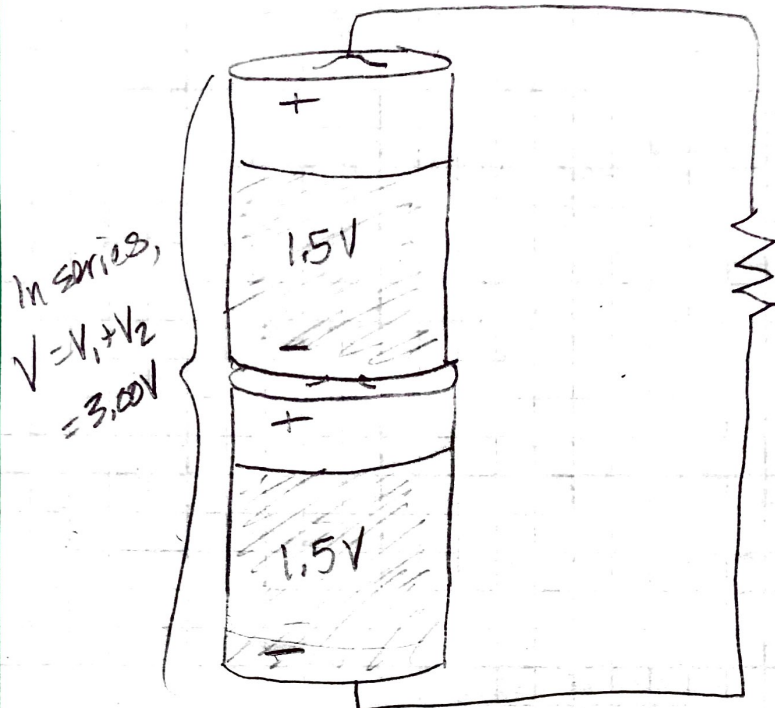
A $2.2\text{ k}\Omega$ resistor ($2200\text{ }\Omega$) is connected
across a D-cell (1.5 Volts). $I = ?$



$$\begin{aligned} I &= \frac{V}{R} = \frac{1.5V}{2200\text{ }\Omega} \\ &= \boxed{6.8 \times 10^{-4}\text{ A}} \\ &= \boxed{0.68\text{ mA}} \end{aligned}$$

9.51

$$R = 250 \text{ k}\Omega = 2.50 \text{e}5 \Omega \pm 5\%$$



$$R = 2.50 \text{e}5 \times 0.95 = 237500 \Omega$$

$$2.50 \text{e}5 \times 1.05 = 262500 \Omega$$

Max & Min resistances,
 $\pm 5\%$ of $250 \text{ k}\Omega$

So...

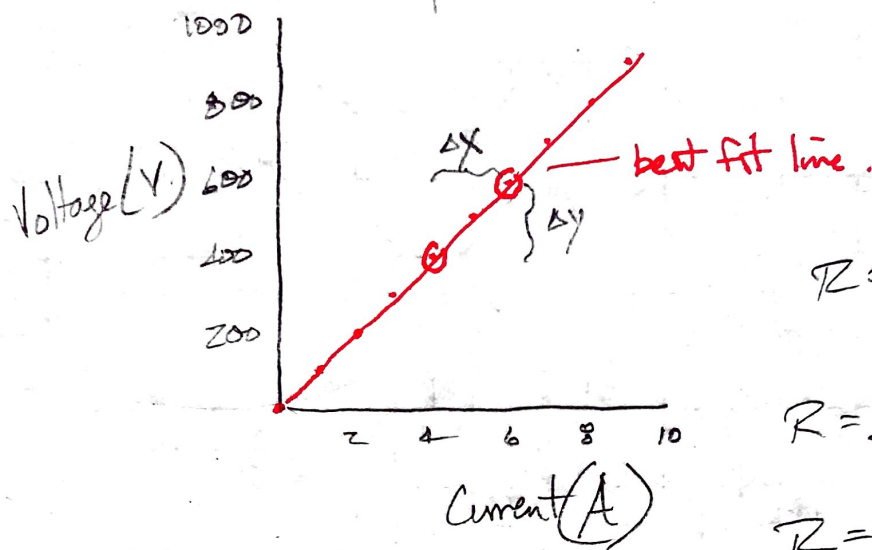
$$I_{\text{max}} = \frac{V}{R_{\text{min}}} = \frac{3.00\text{V}}{237500} = \boxed{1.26 \text{e-}5 \text{A}}$$

$$I_{\text{min}} = \frac{V}{R_{\text{max}}} = \frac{3.00\text{V}}{262500} = \boxed{1.14 \text{e-}5 \text{A}}$$

9.53

Resistor placed in circuit w/ adjustable voltage.

V vs I plotted here. Find R.



$$R = \frac{\Delta V}{\Delta I} = \text{slope of } V/I \text{ graph.}$$

$$R = \frac{V_f - V_i}{I_f - I_i}$$

$$R = \frac{600 - 400}{6 - 4} = \frac{200}{2} = \boxed{100 \Omega}$$